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**Review Article** 

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# Correlative Variation of the Essential Amino Acids

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#### **Annotation**

On the example of the table of contents of eight essential amino acids in 22 products, the methodology of factor analysis and determination of the coefficient of correlation variation, calculated as the ratio of the sum of the correlation coefficients of stable laws and laws of binary relations between amino acids to the product of the number of amino acids as influencing variables and as dependent indicators. It is shown that this evaluation criterion depends on the composition of the products and the set of amino acids taken into account. Therefore, it is proposed to make a more complete table taking into account the set of objects, which takes into account the content of all 20 amino acids. The law of binary relations between amino acids is the sum of the exponential law and the biotechnical law of stress excitation in the product. By correlation coefficients of individual binary relations, the ratings of amino acids as influencing variables and as dependent indicators are performed. The correlation matrix of super strong bonds of essential amino acids with correlation coefficients of more than 0.99 is considered, in part of which the graphs are given. By the nature of behavior, it is proposed to classify the binary relationships between amino acids into positive, neutral and negative. Separately, the method of rating products. The equations and graphs of rank distributions of the content of essential amino acids in products are given. The rating of essential amino acids by dispersion of residues from the equations of binary relations and rank distributions is given.

Keywords: Amino acids; Products; Factor analysis; Regularities; Correlation coefficients; Coefficient of a correlative variation

#### Introduction

Under the expression «correlative variation» Charles Darwin understands that «the whole organization is internally connected during growth and development, and when weak variations occur in one part and are cumulated by natural selection, the other parts are modified. … Modifications in the structure recognized by taxonomists for a very important, can depend solely on the laws of variation and correlation …» [1].

For example, phytocenosis [2] has at least three fundamental properties: first, the correlative variation in the values of parameters in time and space; second, the correlation depends on the genotypic properties of the plant species; third, the variation is due to phenotypic properties, as well as the cycles of solar activity [3], the rotation of the moon around the Earth and our planet around itself [4].

In accordance with the correlative variation of Charles Darwin, during the growth and development of the body, significant changes in the initial age will lead to changes in the structure and in the adult creature. «Therefore, people, taking, and thereby enhancing some feature of, almost, probably, unintentionally modifying other parts of the body based on the mysterious laws of correlation» [1]. Any non-investigative variation is insignificant for us. But the number and variety of hereditary deviations in the structure, both minor and very important in physiological terms, is infinite.

All things are things, properties and relations [5], and in the bios relations control things and change their structures.

The purpose of the article is to show the laws and regularities of the correlative variation of the content of eight essential amino acids in a set of 22 products.

### The concept of Correlative Variation

Variability (variability [1]) is usually associated with the living conditions that the species has been subjected to for several successive generations. In General, according to Darwin, there are two factors: the nature of the body (most important factor) and the properties of existing conditions [1].



Thus, we adopted the basic hypothesis that typing, and the classification has no effect on biotech «based on mastery of life» laws. Therefore, the variation (the set of deviations from the Darwin correlation) depends on the «human factor», i.e. on the quality of measurements of soil properties [6] and plants [4].

Soil according to VV Dokuchaev [7] is a living organism. Therefore, the principle of Darwin's correlative variation should provide high adequacy of the revealed regularities [6]. Similarly, a priori we will consider experiments with essential amino acids [8] to measure their concentration in different types of products for humans and animals highly correlative.

From the concept of correlative variation of Charles Darwin, which was not understood by mathematicians and was not developed by biologists, it clearly follows that in other conditions of the habitat other combinations of values of factors may be stronger (Darwin calls factors hereditary deviations). Therefore, weak factor connections may be stronger for other combinations of the studied objects. As a result, there is a mathematical tool [9-12] (identification method) for comparison of different natural and artificial (technical) objects [13].

The coefficient of correlative variation is taken into account for many factors of the physical object of study, that is, biological, chemical, technological, socio-economic, etc. It is equal to the ratio of the total sum of the correlation coefficients to the square of the number of factors for the complete table model (or to the product of the number of factors and).

The type of the system under study does not affect this criterion, and the correlation variation depends entirely on the internal properties of the system under study.

The coefficient of correlative variation is calculated by the formula

$$K = \sum \sum r/N^2$$
 or  $K = \sum \sum r(N_x \cdot N_y)$ , (1)

where  $\,K\,$  – the coefficient of correlative variation of the set of factors or parameters characterizing the system under study,

 $\sum \sum r$  – the total sum of the correlation coefficients for the rows and columns of the correlation matrix of the relationships between the factors,

N – number of factors to consider in the symmetric table,

 $N_{x}$  ,  $N_{y}$  – the number of factors on the axes  $\,x\,$  and  $\,y\,$  .

Functional connectivity is a universal property of matter. For example, internal correlation variation is observed in the results of agrochemical analysis of soil samples [6], as all agrochemical parameters are measured on the same sample. Sampling sites do not affect the internal connectivity of biochemical and other reactions, that is, the same interactions between chemical elements and their compounds are observed on Earth. Such a community is called an ecosystem [2] or a biosphere superposition.

The strongest correlative variation over 0.999 is observed in the set of genes [13-15]. Slightly less, but more than 0.99, as will be shown in this article, such a variation exists in the group of essential amino acids.

#### **Essential Amino Acids**

These are essential amino acids for animals that cannot be synthesized in the body, in particular, human. Therefore, their intake from food is necessary (Table 1).

# **Rating of Influencing and Dependent Factors**

To determine the coefficient of correlative variation of nine amino acids among 22 types of products it is necessary to conduct a factor analysis [13]. Due to the absence of a measured value of glycine content in one cell of Table 1 in the row «Shiitaki mushrooms», factor analysis was first carried out [13] nine factors and 21 products. The coefficient of correlative variation was equal to 0.9985. All binary  $9^2$ – 9 = 72 relations are characterized by the exponential law  $v = ax^b$ .

(Table 2) shows the correlation matrix of binary relationships and the rating of eight factors excluding glycine for 22 products according to Table 1.

Table 1: The content of essential amino acids in products [8] (grams per 100 grams of product).

#	Product	Leucine	Isoleucine	Histidine	Tyrosine	Glycine	Lysine	Valine	Methi-onine	Pheny-lalanine
1	Milk for women	0.108	0.062	0.028	0.06	0.042	0.082	0.072	0.022	0.056
2	Cow's milk	0.278	0.182	0.081	0.119	0.03	0.218	0.189	0.068	0.136
3	Kefir	0.263	0.173	0.075	0.112	0.056	0.209	0.183	0.063	0.138
4	Curd	0.924	0.548	0.306	0.456	0.184	0.725	0.695	0.263	0.491
5	Chicken egg	1.13	0.83	0.294	0.515	0.37	0.883	0.895	0.378	0.732
6	Beef meat	1.73	1.06	0.805	0.596	1.447	2.009	1.156	0.528	0.789
7	Chicken meat	1.62	1.117	0.697	0.66	1.519	1.975	1.024	0.494	0.932
8	Beef liver	1.543	0.8	0.439	0.47	0.903	1.295	0.987	0.345	0.845
9	Cod	1.222	0.879	0.54	0.439	0.525	1.551	0.929	0.488	0.651
10	Rice grits	1.008	0.369	0.135	0.176	0.63	0.142	0.425	0.223	0.313
11	Semolina	0.364	0.258	0.186	0.158	0.263	0.32	0.386	0.103	0.399

12	Buckwheat	0.702	0.301	0.203	0.16	0.796	0.431	0.343	0.183	0.395
13	Oatmeal	0.672	0.302	0.137	0.234	0.453	0.384	0.384	0.198	0.363
14	Millet grits	1.04	0.244	0.137	0.226	0.22	0.226	0.333	0.207	0.48
15	Pearl barley	0.584	0.258	0.152	0.148	0.308	0.286	0.313	0.173	0.331
16	Pea	1.204	0.78	0.395	0.227	0.48	0.984	0.804	0.16	0.763
17	Wheat flour	0.567	0.29	0.096	0.149	0.149	0.12	0.387	0.108	0.322
18	Pasta	0.69	0.38	0.133	0.253	0.215	0.139	0.412	0.12	0.488
19	Rye bread	0.275	0.146	0.118	0.293	0.217	0.132	0.062	0.062	0.278
20	Wheat bread	0.55	0.25	0.106	0.162	0.264	0.103	0.286	0.088	0.33
21	Cookie	0.357	0.171	0.247	0.088	0.172	0.08	0.054	0.054	0.334
	Shiitake	_								
22	mushrooms	7	4.4	1.8	3.5	-	3.5	5.2	1.8	5.3

Table 2: Correlation matrix of factor analysis without glycine and rating of factors in identification by the exponential law.

Influencing Fac-			Depende	ent Factors ( y	indicators)					pl
tors (characteristic x)	Leucine	Isoleucine	Histidine	Tyrosine	Lysine	Valine	Methi- onine	Phenylal- anine	$\begin{array}{c c} \mathbf{Sum} \\ \Sigma r \end{array}$	Place $I_x$
Leucine	1	0.991	0.955	0.9907	0.8927	0.9937	0.9842	0.994	7.801	4
Isoleucine	0.9896	1	0.9738	0.9918	0.9306	0.9972	0.9871	0.9909	7.861	1
Histidine	0.9603	0.9791	1	0.9725	0.9692	0.9716	0.9722	0.963	7.788	5
Tyrosine	0.9838	0.9878	0.9484	1	0.8863	0.9889	0.9822	0.991	7.768	6
Lysine	0.9163	0.9518	0.9726	0.9575	1	0.9448	0.9449	0.9387	7.627	8
Valine	0.9918	0.9969	0.9597	0.9922	0.9145	1	0.986	0.9924	7.834	2
Methionine	0.984	0.9888	0.9668	0.9898	0.9298	0.9888	1	0.9797	7.828	3
Phenylalanine	0.991	0.9884	0.9446	0.9921	0.8664	0.9907	0.9708	1	7.744	7
Sum $\Sigma r$	7.8168	7.8838	7.7209	7.8866	7.3895	7.8757	7.8274	7.8497	62.25	-
Place $I_y$	6	2	7	1	8	3	5	4	-	0.9727

Table 3: Correlation matrix of factor analysis without glycine and rating of factors in identification by exponential and biotechnical law.

Influencing Factors (Characteris-			Depen	dent Factors	( y indicato	ors)			Sum $\Sigma r$	Place
$\operatorname{tic} x$ )	Leucine	Isoleucine	Histidine	Tyrosine	Lysine	Valine	Methionine	Phenylal- anine	Sum $\Sigma r$	$I_x$
Leucine	1	0.9929	0.9757	0.9926	0.9549	0.994	0.9857	0.9967	7.8925	6
Isoleucine	0.9936	1	0.9843	0.9946	0.9834	0.999	0.9887	0.9972	7.9404	2
Histidine	0.9869	0.9923	1	0.9918	0.9903	0.99	0.9921	0.996	7.9397	3
Tyrosine	0.9844	0.9889	0.9665	1	0.9533	0.989	0.9856	0.9938	7.8614	8
Lysine	0.9887	0.9947	0.9925	0.9935	1	0.995	0.9873	0.9941	7.9453	1
Valine	0.9935	0.9981	0.9817	0.9947	0.9849	1	0.9885	0.9961	7.9375	4
Methionine	0.9922	0.9906	0.9797	0.9945	0.971	0.992	1	0.9929	7.9132	5
Phenylalanine	0.992	0.9943	0.9672	0.9925	0.9548	0.993	0.975	1	7.869	7
Sum $\Sigma r$	7.9313	7.9518	7.8476	7.9542	7.7926	7.952	7.9029	7.9668	63.299	-
Place $I_y$	5	4	7	2	8	3	6	1	-	0.989

The coefficient of correlative variation is 0.9727, which is significantly less than 0.9985. In the future, it turned out that in addition to the indicative law, the biotechnical law [4-8,10-13] of the stress excitation of amino acids depending on each other is additionally taken into account (Table 3). With the coefficient of correlative variation 0.9890 in the first place among the influencing

variables was lysine, and among the indicators – phenylalanine.

Thus, the correlative variation is very sensitive to the composition of amino acids and products. This fact in the future will reveal the rational compositions, structures and functions of amino acids in different systems under study.

# The Law of the Relationship between Amino Acids

It is expressed by an equation of the form  $y = a_1 x^{a_2} \pm a_3 x^{a_4} \exp(-a_5 x^{a_6})$ , (2)

where y – amino acid content in the product as an indicator (g per 100 g of product), x – amino acid content of the product as an

influencing variable (g per 100 g of product),  $a_1...a_6$  – the parameters of the model (2) taking the numerical values in the course of structural-parametric identification in the software environment CurveExpert-1.40 URL: (http://www.curveexpert.net/).

Formula (2) shows three types of stress-induced amino acids under the influence of each other: positive, neutral and negative.

Table 4

Nº p/p	Product	Leucine	Isoleucine	Histidine	Tyrosine	Glycine	Lysine	Valine	Methi- onine	Pheny-lalanine
6	Beef meat	1.73	1.06	0.805	0.596	1.447	2.009	1.156	0.528	0.789
7	Chicken meat	1.62	1.117	0.697	0.66	1.519	1.975	1.024	0.494	0.932

Neutral type appears only without shiitake mushrooms, that is, when the amino acid content changes from 0 to 2 (maximum 2.009 for beef) (Table 4).

The maximum concentrations of nine amino acids without shiitaki mushrooms are in two products-beef and chicken meat. In the amino acid content range from 2 to 7 in Table 1 there are no types of products (except mushrooms). Therefore, it is necessary to add new products to the list and Table 1.

In the concentration range from 0 to 7, two types of behavior appear:

a. positive behavior, with a positive sign in front of the second component of the formula (2), when with increasing content of the influencing amino acid, the content of the dependent amino acid increases according to the biotechnical law of stress excitation;

- negative behavior, with a negative sign, when the content
  of the dependent amino acid is inhibited from the action
  of the wagging amino acid.
- These two types provide optima for the interaction of essential amino acids.

#### **Correlation matrix**

From Table 2, choose a binary relationship with a correlation coefficient of at least 0.99 (Table 5).

The neutral behavior of amino acids receives only 15 binary bonds at the level of superstrong adequacy (or  $100\ 15\ /\ 72=20.83\%$ ).

We will do the same with the data in Table 3 (Table 6).

Table 5 shows a significant increase in the number of super strong links, 33% or 45.83%. The matrix remained complete-eight rows and columns.

**Table 5:** Correlation matrix of superstrong binary relations by exponential law at the level of adequac  $r \ge 0.9$ .

Influencing Factors (Characteristic x )		Depende	ent Factors ( y indi	cators)	
influencing ractors (characteristic x)	Leucine	Isoleucine	Tyrosine	Valine	Phenylalanine
Leucine		0.991	0.9907	0.994	0.994
Isoleucine			0.9918	0.997	0.9909
Tyrosine					0.991
Valine	0.9918	0.9969	0.9922		0.9924
Phenylalanine	0.991		0.9921	0.991	

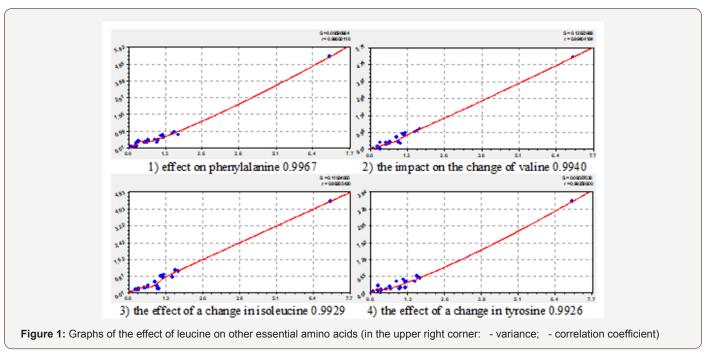
**Table 6:** Correlation matrix superpowered binary relations exponential and biotech law, when the correlation level  $r \ge 0.9$ 

Influencing Factors		Dependent Factors ( y indicators)												
(Characteristic x)	Leucine	Isoleucine	Histidine	Tyrosine	Lysine	Valine	Methionine	Phenylalanine						
Leucine		0.9929		0.9926		0.994		0.9967						
Isoleucine	0.9936			0.9946		0.9986		0.9972						
Histidine		0.9923		0.9918	0.9903	0.9903	0.9921	0.996						
Tyrosine								0.9938						
Lysine		0.9947	0.9925	0.9935		0.9945		0.9941						
Valine	0.9935	0.9981		0.9947				0.9961						
Methionine	0.9922	0.9906		0.9945		0.9923		0.9929						
Phenylalanine	0.992	0.9943		0.9925		0.9932								

However, the behavior of biological objects is characterized, in addition to the trend (2) vibrational adaptation [6,12,14,15]. To identify the wavelet signals from the amino acid behavior under

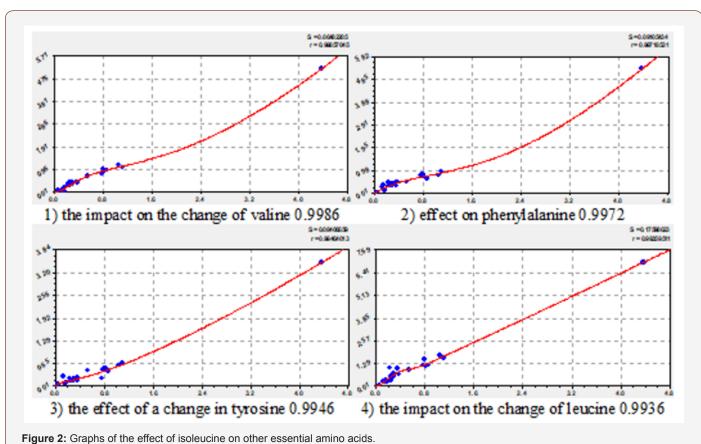
mutual influence, it is necessary to significantly expand Table 1 also with interchangeable amino acids. Especially it is necessary to pay attention to the types of products that give a concentration of 2 to 7.

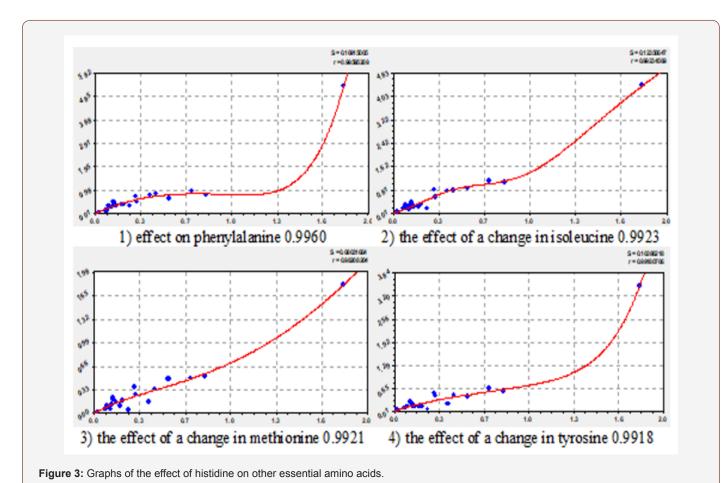
# **Binary Relation Graphs**

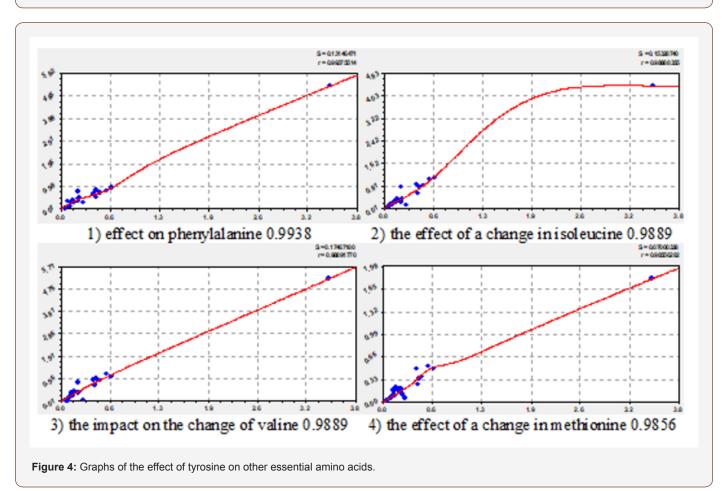


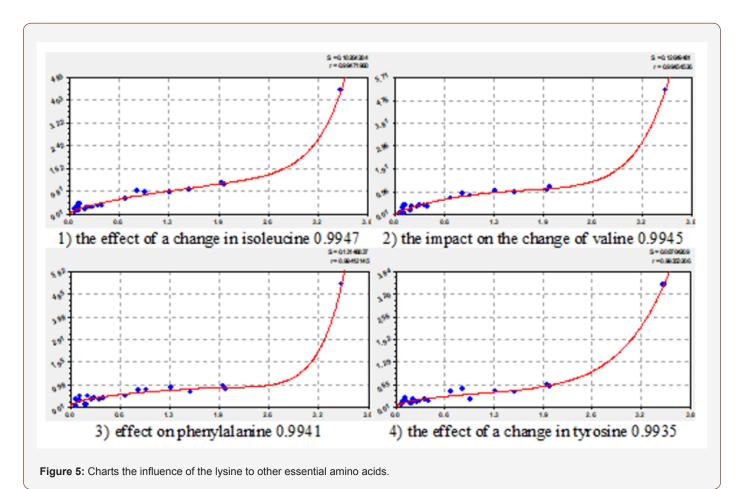
The effect of each essential amino acid on the concentration of other amino acids is shown in four graphs, which are arranged in figures in descending correlation coefficient. Of the 72 graphs in the article shows a total of 32 graphics (Figure 1-8). They provide

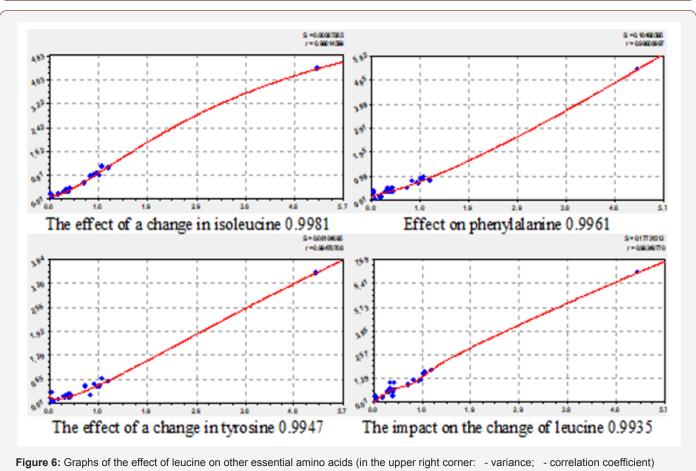
a visual representation of the variations of formula (2). The second component of the general model (2) shows a different level of adaptability (positive or negative) dependent on the influencing amino acid by the coefficient of adaptability.











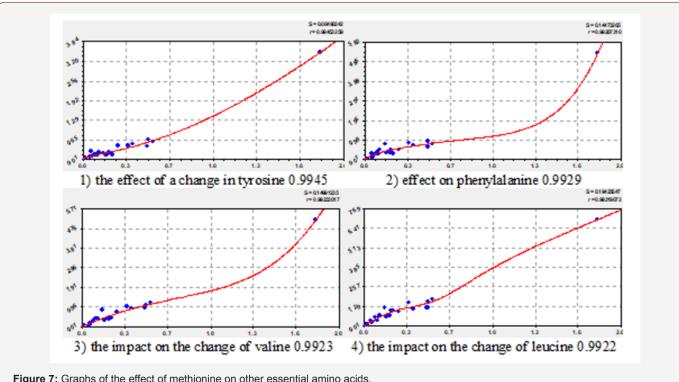
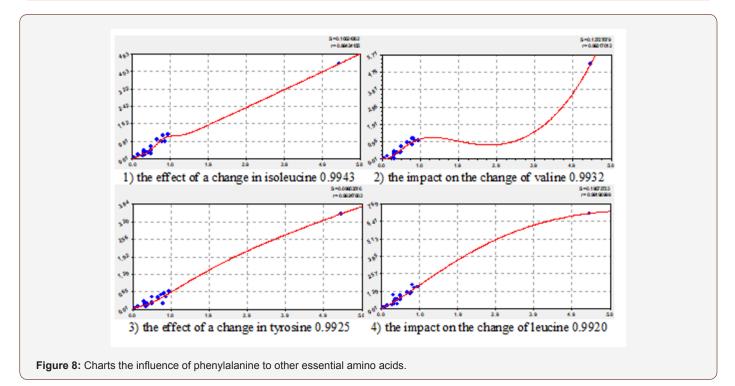


Figure 7: Graphs of the effect of methionine on other essential amino acids.



On the charts, the positive behavior of essential amino acids is shown as a convex curve, and the negative behavior is shown as a concave curve. On the effect of histidine and methionine it is possible to estimate the minimum interval of the concentration of essential amino acids with neutral type. As can be seen from the graphs in figure 3, the neutral behavior type is from 0 to 0.5.

The convexity or concavity of the graph has a different length along the abscissa axis. It is obvious that the addition of the list from Table 1 with additional products having amino acid concentration in the range from 2 to 7, will allow to specify the parameters of the model (2) and add a wave function. However, in our opinion, the nature (design) (2) of the expansion of the list of products will not change.

Graphs of the effect of lysine on other amino acids have a concave appearance, which relates them to the negative effect. At the same time, there is a steep rise of curves, more than five times after the concentration of lysine 2.5-2.8.

Figure 7 shows the multidirectional effect of methionine on other amino acids along the different length of the concave or convex part.

For example, the positive effect of phenylalanine on the change of isoleucine is observed in a short period of abscissa from 0.3

to 1.3. But the effect of phenylalanine on the change of leucine is observed throughout the axis of abscissa.

### Parameters of a Two-Member Model

Table 7: Parameters of the laws of mutual influence of essential amino acids.

Influencing Variable	The Dependent Measure		Re	egularity $y = a_1 x$	$a_2 + a_3 x^{a_4} \exp(-a_3 x^{a_4})$	$-a_5 x^{a_6}$ )	
variable	Measure	$a_1$	$a_2$	$a_3$	$a_4$	$a_5$	$a_6$
	Isoleucine	0.62905	0.99985	-6.22460e8	18.71644	22.22097	1
	Histidine	0.46897	0.69905	-203.9818	5.54825	6.84333	1
	Tyrosine	0.31097	1.24392	1581527.7	6.39206	30.05027	1
Leucine	Lysine	1.76396	0.36696	-10.5947	1.39906	2.30544	1
20001110	Valine	0.6474	1.07056	-2.25214e9	20.99985	24.13061	1
	Methionine	0.48396	0.67505	-0.29303	0.55052	0.23317	1.9991
	Phenylalanine	0.49792	1.21483	9595683.7	9.34738	22.79351	1
	Leucine	1.52478	1.0286	9999.058	5.12916	14.70289	1
	Histidine	0.72596	0.61893	-14.41016	2.32975	4.77636	1
	Tyrosine	0.53135	1.2724	0.28389	0.53468	2.9097	0.96123
Isoleucine	Lysine	0.3871	0.49498	1180.425	5.57652	6.79209	0.50461
-50.0401110	Valine	0.4536	1.64113	1100.423	2.64866	5.26502	0.54772
	Methionine	0.4330	0.90274	-5.01711e9	17.79059	26.4125	1
	Phenylalanine	1.82668	1.01048	-1.62256	1.77226	0.47849	0.98417
	Leucine	27.41879	0.87946	-25.49275	0.90894	0.00245	6.46573
	Isoleucine	2.37692	1.13214	-1461.648	7.62827	7.35461	1
	Tyrosine	13.24185	0.71994	-12.51376	0.72283	0.0021289	7.06274
Histidine	Lysine	1.84717	1.08523	18030.334	6.91718	11.01985	1
mstrame	Valine	2.68511	1.1289	-196399.8	10.54932	12.3768	1
	Methionine	3.80692	1.14221	-3.87156	1.34613	0.22711	1.01776
	Phenylalanine	9.10329	1.11668	-8.35584	1.2867	0.0058888	7.0602
	Leucine	2.59556	0.79268	-3.75738	2.23306	2.86196	1
	Isoleucine	1.12082	0.79200	501.15485	5.56113	6.29215	0.56901
	Histidine	0.27432	0.36988	10.20796	3.95035	1.99234	0.99868
Tyrosine	Lysine	1.19035	0.86085	33729.083	8.35215	0.2487	1
Tyrosine	Valine	1.51279	0.98152	0.43938	1.04759	1.13609	1
	Methionine	0.59313	0.88555	6.42624e8	15.23516	24.55075	1
	Phenylalanine	1.76155	0.87936	-954.86339	5.4398	8.875	1
	Leucine	0.00075787	7.01566	1.14549	0.45402	0	0
	Isoleucine	1.36349e-5	9.78172	-0.70109	0.62975	0.00085077	1 (7(00)
	Histidine	10.01954	0.35029	-9.79594	0.3507	0.012317	1.67629
Lysine	Tyrosine	0.001512	6.01054	0.38061	0.46654	0	0
	Valine	43.74284	1.05348	-42.92471	1.06386	2.82820e-6	7.29991
	Methionine	0.0023803	4.9521	0.30405	0.56965	0	0
	Phenylalanine	6.48222e-6	10.79484	0.67506	0.45753	0.007062	3.91832
	Leucine	1.68957	0.86202	-117442.4	10.37155	13.19709	1
	Isoleucine	8.89512	0.31783	-3.1502	0.37852	0.4758	1
	Histidine	0.3922	0.92312	1.52857e9	30.20624	22.94088	1
Valine	Tyrosine	5.55544	0.19325	-5.7425	0.21851	0.13204	1
	Lysine	0.25082	0.32497	2549189.8	8.13192	14.52145	0.37751
	Methionine	0.28301	0.65777	0.8076	5.65024	1.75757	1
	Phenylalanine	24.03443	0.29124	-23.90412	0.29549	0.028464	1

	Leucine	4.09975	0.91089	-10326.19	6.26159	10.67398	1
	Isoleucine	2.73865	0.86374	-11.08877	1.73777	3.36038	0.78234
	Histidine	0.50538	0.54222	40603.795	10.31218	9.20729	1
Methionine	Tyrosine	8.66195	0.5116	-8.30592	0.51879	0.14181	1.36907
	Lysine	1.2814	0.76009	32657.836	6.21189	9.37323	0.63848
	Valine	6.11986	1.09075	-4.51311	1.31031	0.036284	4.15755
	Phenylalanine	11.68668	0.79065	-10.5713	0.82831	0.006757	6.19146
	Leucine	0.49906	0.5408	1.69424	1.51814	0.24648	1
	Isoleucine	0.78238	1.03541	1492111.7	13.06361	15.57889	1
	Histidine	0.15533	0.4426	3.5638	3.2393	1.77093	0.75946
Phenylalanine	Tyrosine	0.97692	0.76653	-4.16141	1.55679	2.59353	0.7374
	Lysine	0.56678	1.09143	630.15239	6.90628	6.09093	1
	Valine	0.004661	4.20571	7.63182	2.40205	1.9102	1
	Methionine	0.3506	0.98095	1886.0969	8.08271	9.83812	1

Model parameters (2) are given in (Table 7). The positive form of the equation (2) is used in the recording. Then the negative

type is easily determined by the negative sign before the model parameter  $a_3$ .

Table 8: Behavior of essential amino acids.

Influencing Fac-			De	pendent Fa	ctors ( y	indicators	s)		Sum of	Disease
tors (Parameters x)	Leucine	Isoleu- cine	Histidine	Tyrosine	Lysine	Valine	Methionine	Phenylalanine	Codes	Place
Leucine	0	-1	-1	1	-1	-1	-1	1	-3	5
Isoleucine	1	0	-1	1	1	1	-1	-1	1	3
Histidine	-1	-1	0	-1	1	-1	-1	-1	-5	6
Tyrosine	-1	1	1	0	1	1	1	-1	3	2
Lysine	1	-1	-1	1	0	-1	1	1	1	3
Valine	-1	-1	1	-1	1	0	1	-1	-1	4
Methionine	-1	-1	1	-1	1	-1	0	-1	-3	5
Phenylalanine	1	1	1	-1	1	1	1	0	5	1
Sum of codes	-1	-3	1	-1	5	-1	1	-3	-2	-
Place	3	4	2	3	1	3	2	4	-	-

Then you can classify (Table 8) three types of behavior of essential amino acids (code: 1 – positive; 0 – neutral; -1 – negative).

Apparently, for the most complete amino acid system, the total sum of codes will approach zero. As a variable on the positive effect in the first place – phenylalanine, and among the dependent indicators – lysine.

# The Quality of the Source Data and Ratings of Products

A tabular model is a good-quality and relatively complete table of input data for statistical modeling by identification of stable laws and regularities. The quality factor is understood as the accuracy of the numbers, the primacy of the indicators (the factor analysis is not initially permitted secondary received, calculations, parameters), consistency of the description of the object of the studies take into account many parameters.

As a result, we get the distribution of places in descending order (Table 9).

Let's check the initial data of s for the quality factor.

Any of the factors is the vector orientation and the two possible behaviors:

 Table 9: Rating of products by content of essential amino acids.

#	Product	Leu-cine	Isoleu-cine	Histi-dine	Tyro-sine	Ly-sine	Va-line	Methi- onine	Pheny-lala- nine	$\sum R$	Product place I
1	Milk for women	21	21	21	21	20	19	21	21	165	21
2	Cow's milk	18	17	19	18	13	17	17	20	139	19
3	Kefir	20	18	20	19	14	18	18	19	146	20
4	Curd	9	7	6	5	7	7	6	7	54	8

5	Chicken egg	6	4	7	3	6	5	4	5	40	6
6	Beef meat	1	2	1	2	1	1	1	3	12	2
7	Chicken meat	2	1	2	1	2	2	2	1	13	3
8	Beef liver	3	5	4	4	4	3	5	2	30	4
9	Cod	4	3	3	6	3	4	3	6	32	5
10	Rice grits	8	9	14	12	15	8	7	17	90	13
11	Semolina	16	13	10	15	10	11	15	10	100	14
12	Buckwheat	10	11	9	14	8	13	10	11	86	10
13	Oatmeal	12	10	12	9	9	12	9	12	85	9
14	Millet grits	7	16	12	11	12	14	8	9	89	12
15	Pearl barley	13	13	11	17	11	15	11	14	105	15
16	Pea	5	6	5	10	5	6	12	4	53	7
17	Wheat flour	14	12	18	16	18	10	14	16	118	16
18	Pasta	11	8	15	8	16	9	13	8	88	11
19	Rye bread	19	20	16	7	17	20	19	18	136	18
20	Wheat bread	15	15	17	13	19	16	16	15	126	17
21	Livere	17	19	8	20	21	21	20	13	139	19
22	Shiitake mushrooms	0	0	0	0	0	0	0	0	0	1

- a) better more on the vector «better worse», the rank is given to the maximum, and the ranking is performed in descending order of the factor values;
- b) it is better to lower, so the rank is given to a minimum, and the ranking is performed by increasing the values of the factor.

From the hypothesis – the greater the content of any essential amino acid in any product, the better - the first option of a vector of behavior is accepted.

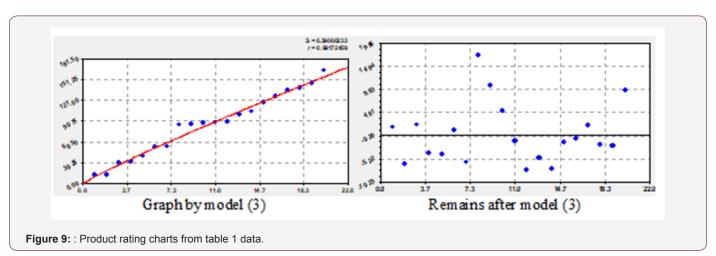
We range each amino acid from Table 1 in Excel in the program RANK. The function =RANK (E3; E\$3: E\$24;0) taken notation: E – column identifier; E3, E\$3 – the first row; E\$24 – the last row of the Table 1;  $0 \lor 1$  – ranking in descending (0) or ascending (1).

Three places in the ranking took products: mushrooms, beef and chicken.

The rating in Table 8 is determined in places I. The best theoretical first place is obtained if  $\Sigma R = 0$ . Then it turns out that shiitake mushrooms in a variety of products according to the Table 1 is theoretically possible in the first place. For the second place the sum of ranks is 12. Next, we can take places I for the explanatory variable, and the sum of ranks  $\Sigma R$  from Table 8 for the indicator.

After identification of the general trend formula [9], we obtained (Figure 9) formula

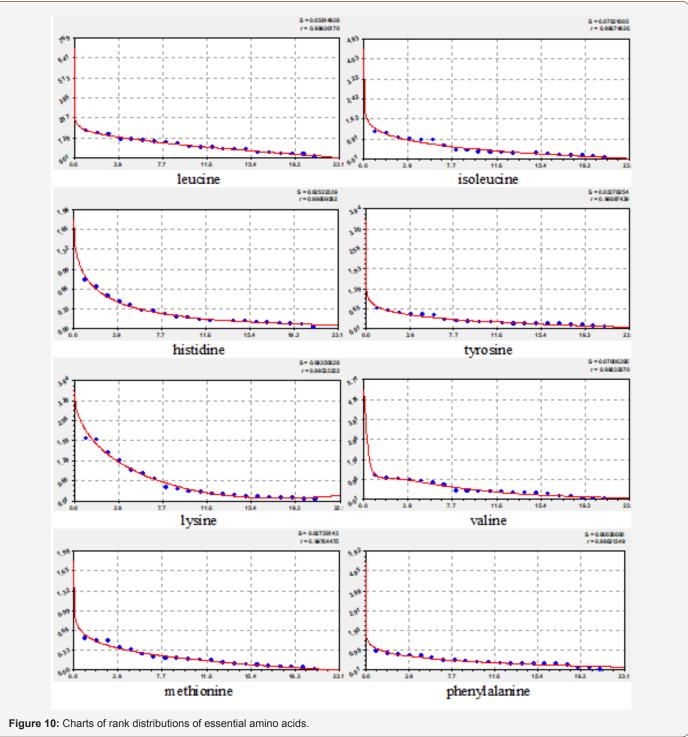
$$\sum R = 10.25609(I-1)^{0.90719}$$



The remnants after (3) show that wave function is possible in addition to the trend. Half amplitude reaches a share of 100 17.3524 / 85 = 20.41%. In the article we do not consider vibrational adaptation, as we need a table for all 20 amino acids. Each of the eight amino acids will be considered separately.

# **Ranking Distribution of Amino Acids**

For statistical modeling, the ranks must start from zero, with the rank distributions subject to the exponential law (growth or death).



After the identification of the generalized trend [13] are

obtained (Figure 10) formulas:

- rank distribution of leucine

$$L = 6.99985 \exp(-0.0069383R_L) - 5.16790R_I^{0.044232};$$
 (4)

- rank distribution of isoleucine

$$I = 4.39916 \exp(-0.00062254R_I) - 3.16653R_I^{0.097771}$$
; (5)

- rank distribution of histidine

$$H = 1.79477 \exp(-0.72614R_H^{0.48719})$$
; (6)

- rank distribution of tyrosine

$$Y = 3.49967 - 2.78248 R_Y^{0.068084}; (7)$$

- ranking distribution of lysine

$$K = 3.47649 \exp(0.021832R_K) - 1.31631R_K^{0.50137} \exp(-0.0056940R_K);$$
 (8)

- rank distribution of valine

$$V = 5.20003 \exp(-2.89763R_V) + 2.56943R_V^{0.99053} \exp(-1.08777R_V^{0.56874}); (9)$$

- rank distribution of methionine

$$M = 1.79957 \exp(-0.00098714 R_{\scriptscriptstyle M}) - 1.21781 R_{\scriptscriptstyle M}^{\phantom{M}0.11680}; (10)$$

- rank distribution of phenylalanine

$$F = 5.29876 - 4.23519 R_F^{0.061528}. (11)$$

The sum of the squares of deviations from the equations of binary and unary (by ranks) relations between eight essential amino acids is written in the dispersion matrix (Table 10).

Table 10: The variance matrix of the residuals after the full factor analysis and ranking of factors when identifying significant and biotech law.

Influencing Fac-	Dependent Factors ( y indicators)								Sum	Place
tors (Parameters x)	Leucine	Isoleucine	Histidine	Tyrosine	Lysine	Valine	Methionine	Pheny-lal- anine	$\Sigma S$	$I_x^S$
Leucine	0,0581	0,1193	0,0947	0,0959	0,2976	0,1282	0,0718	0,0959	0,9615	4
Isoleucine	0,1760	0,0783	0,0764	0,0841	0,1583	0,0648	0,0621	0,0911	0,7911	1
Histidine	0,2593	0,1325	0,0252	0,1039	0,1344	0,1631	0,0803	0,1092	10,079	5
Tyrosine	0,2666	0,1533	0,1144	0,0338	0,2926	0,1747	0,0700	0,1315	12,369	8
Lysine	0,2463	0,1026	0,0545	0,0870	0,0935	0,1265	0,0639	0,1315	0,9058	3
Valine	0,1773	0,0609	0,0823	0,0810	0,1728	0,0701	0,0624	0,1041	0,8109	2
Methionine	0,1943	0,1407	0,0867	0,0849	0,2389	0,1499	0,0276	0,1447	10,677	6
Phenylalanine	0,1967	0,1062	0,1132	0,0995	0,2879	0,1373	0,0919	0,0666	10,993	7
Sum $\Sigma S$	15,746	0,8938	0,6474	0,6701	16,760	10,146	0,5300	0,8746	78,811	-
Place $I_y^S$	7	5	2	3	8	6	1	4	-	0.1231

As the influencing variable on the first place on minimum of the sum of dispersions there was isoleucine, and among dependent indicators – methionine. The average variance for all  $8^2$  = 64 cells of the matrix is  $\overline{D}$  = 0.1231.

# **Conclusion**

We have extended the principle of correlative variation not only to Charles Darwin organisms, but also to populations (in the article population of eight amino acids) and even to any biological, biotechnical and technical systems [13]. This principle allows to compare heterogeneous systems on one or some set of factors by functional connectivity.

The coefficient of correlative variation, as a generalized criterion for comparing different sets of homogeneous biological objects, gets a very high value. For example, populations of genes [14, 15] obtained the correlative coefficient of variation not less than 0.9999.

In the example of this article, the level of adequacy for the set of eight essential amino acids is not less than 0.99. This makes it possible in the future to create the most complete table of contents and other indicators for a system of 20 amino acids and hundreds of objects, including products.

Functional connectivity between essential amino acids was super strong and it is subject to a simple formula of two-term trend containing exponential and biotechnical laws. The absence of the second term determines the neutral type of behavior, and signs in the presence of the second member characterize the positive (+) or negative (-) type of behavior of amino acids in the studied system of products. To identify the effect of oscillatory adaptation of essential amino acids to each other in some sets of products

need more accurate (with measurement error, less than an order of magnitude) data.

# Acknowledgement

None.

#### **Conflict of Interest**

No Conflict of Interest.

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